

## **Methods**

# Algorithm

**1.** Background probability function per intensity, is obtained from the cross-section of  $H(I_{t0}, I_{t0+1})$  at  $I_{t0} = X(t_0)$ . If the function has clear plural peaks, it is partitioned as different background clusters,  $B_1 B_2$ , ., $B_K$ ,

 $\bar{h}_{X(t_0)}(v) = \frac{h_{X(t_0)}(v)}{\sum_{v=0}^{255} h_{X(t_0)}(v)}$ 

**2.** GMM is calculated with the following equations using fore and aft frames of t0 + 1:

$$P(v) = \sum_{1}^{K} \eta(v, \mu_{k}, \sigma_{k})$$

$$\mu_{k} = \frac{B}{A} \quad \sigma_{k} = \frac{C}{A} \begin{cases} W_{k}(v) = \bar{h}_{X(t_{0})}(v) \\ W_{k}(v) = 0 \end{cases}$$

$$A = \left(\sum_{t=t_{0}-N_{F}}^{t_{0}+1+N_{F}} W_{k}(X(t))\right) - W_{k}(X(t_{0}+1)) \qquad \text{NF:} \text{reference} \end{cases}$$

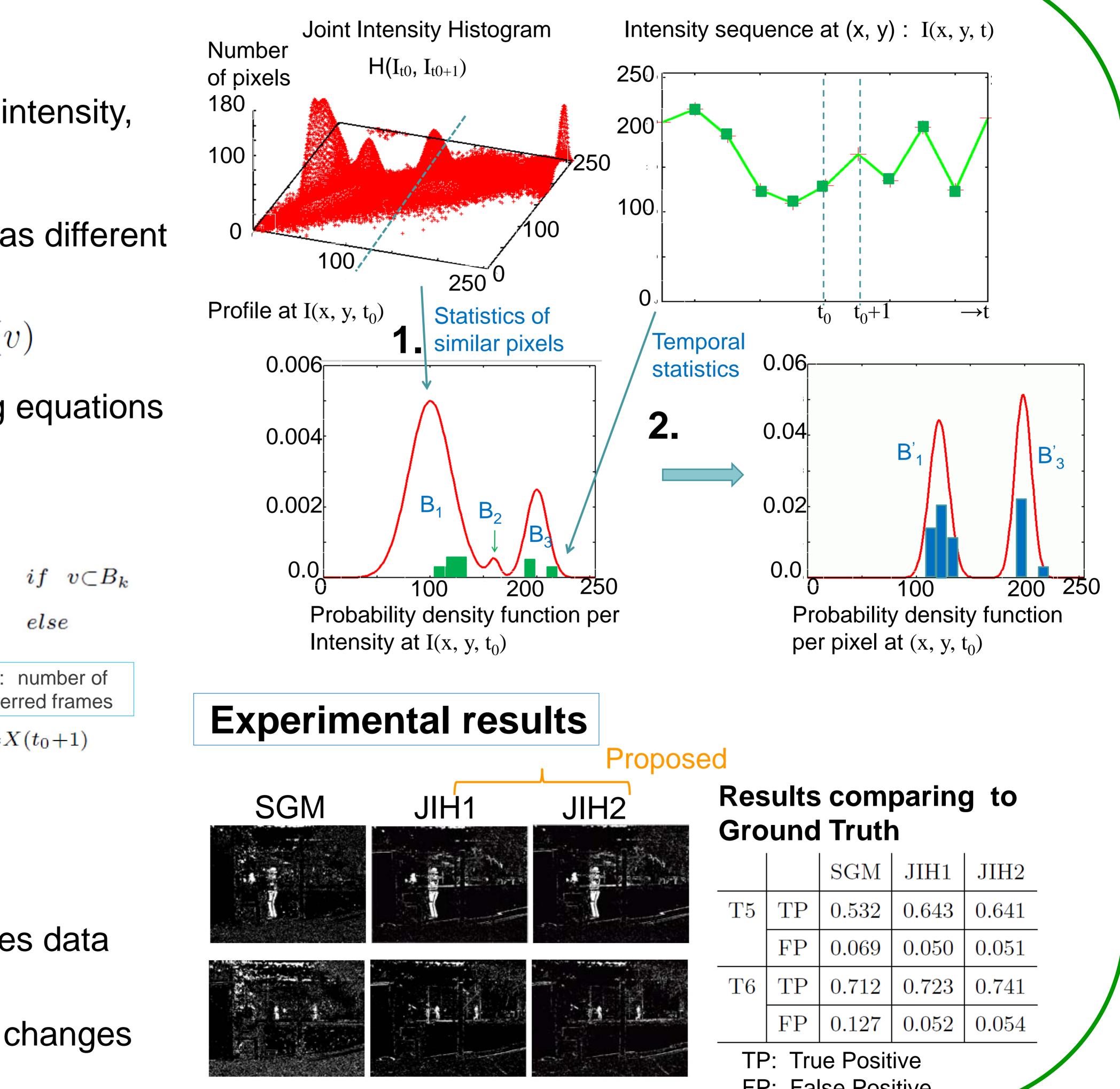
$$B = \left(\sum_{t=t_{0}-N_{F}}^{t_{0}+1+N_{F}} W_{k}(X(t)) * X(t)\right) - W_{k}(X(t_{0}+1)) * T_{k}(X(t_{0}+1))$$

$$C = \left(\sum_{t=t_{0}-N_{F}}^{t_{0}+1+N_{F}} W_{k}(X(t)) * (X(t)-\mu_{k})^{2}\right) - W_{k}(X(t_{0}+1)) * (X(t_{0}+1)-\mu_{k})^{2}$$

## Summary

+Influence of outliers in time-series data is reduced

+Good performance in detecting changes from field monitoring images



		$\operatorname{SGM}$	JIH1	JIH2
T5	TP	0.532	0.643	0.641
	FP	0.069	0.050	0.051
T6	ΤP	0.712	0.723	0.741
	FP	0.127	0.052	0.054
TP: True Positive				
FP: False Positive				