

maginvt0_f.txt

```

c*****
c  program maginv  for intensity
c                                     coded by J. Hara
c                                     arranged by RIE
c*****
c
c  implicit real*8 (a-h, o-y)
c
c  common /comar1/f(3,1000)
c  common /comin1/fmax, fmin, nd
c  common /comche/h(200), d(200), offset
c  common /comin3/a(200), b(200), Y0(200), c, e, X0
c  common /comin5/taiji(200)
c  common /comin6/nmb, iend
c  common /compai/pai
c  common /comar3/g(1000)
c  common /comar5/gp(401,401)
c  common /comar6/dp(401)
c
c  common /comin0/fymx, fymn
cc
c  pai=3.14159265358979323846
c
c  ym=0
c
c  fmax=-99999.
c  fmin=99999.
c  nn=0
c
c  open(10, file='I:\airmag-db\chkget.txt')
13 continue
c  read(10, *, end=95) no, dis, utmn, utmet, amag
c  nn=nn+1
c  f(1, nn)=dis-ym
c  f(2, nn)=0.0
c  f(3, nn)=amag
c
c  if(f(3, nn).gt.fmax) then
c  fmax=f(3, nn)
c  fxmx=f(2, nn)
c  fymx=f(1, nn)
c  else if(f(3, nn).lt.fmin) then
c  fmin=f(3, nn)
c  fxmn=f(2, nn)
c  fymn=f(1, nn)
c  end if
c  go to 13
95 continue
c  close(10)
c
c  nd=nn
c  write(6, *) ' in data: nd ', nd
c  read(5, *) ians
c  ians=ians
c
c  write(6, *) ' fmax: x, y, f ', fxmx, fymx, fmax
c  write(6, *) ' fmin: x, y, f ', fxmn, fymn, fmin
c  read(5, *) ians
c  ians=ians
cc
c
c
c  1 continue
c
c  write(6, *) ' input inclination in degree '
c  cc=56
c  write(6, *) ' input declination in degree '
c  ee=-8.5

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c      c=cc*pai/180
c      write(6,*) ' angl: azimuth of X-axis positive east of true North'
c      angl=-28
c      e=(ee-angl)*pai/180
c
c      height:survey altitude in km
c      tjj:magnetization A/m
c      x0=0.0
c      tjj=1.5
c      height=0.5
c
c      open(20, file=' I:¥airmag-db¥modelt0.txt', status=' old' )
c      read(20,*) nmb
c      do 100 i=1, nmb
c      read(20,*) y0(i), a(i), b(i), hh, d(i)
c      taiji(i)=tjj*100
c      h(i)=hh/1000+height
100 continue
c
c      close(20)
c
c-----
c      ff=0.
c      do 880 in=1, nd
c          ff=ff+f(3, in)
880 continue
c      ff=ff/float(nd)
c      offset=ff
c      write(6,*) ' init2 : offset ', offset
c-----
c
c      iend=10
c      do 10 icount=1, iend
c
c      call riron
c      call inv(icount)
c
10 continue
c
c      stop
c      end
c
c
c      *****
c      subroutine riron
c      *****
c
c      implicit real * 8 (a-h, o-y)
c
c      common /comin1/fmax, fmin, nd
c      common /comin0/fymx, fymn
c      common /comin6/nmb, iend
c      common /comar1/f(3, 1000)
c      common /comar3/g(1000)
c      common /comar5/gp(401, 401)
c      common /comar6/dp(401)
c
c      dimension hen(401)
c
c      do 10 i=1, nmb+1
c          do 20 j=1, nmb+1
c              gp(i, j)=0
20 continue
c          dp(i)=0
10 continue
c
c      gmax=-99999.
c      gmin=99999.

```

```

C
C do 100 nn=1, nd
C
C   call keisan(nn)
C     if(f(1, nn).eq.fymx) then
C       write(6,*) ' fmax ', f(1, nn), f(3, nn), g(nn)
C     end if
C     if(f(1, nn).eq.fymn) then
C       write(6,*) ' fmin ', f(1, nn), f(3, nn), g(nn)
C     end if
C
C   if(g(nn).GT.gmax) then
C     gmax=g(nn)
C     Xmax=f(2, nn)
C     Ymax=f(1, nn)
C   else if(g(nn).LT.gmin) then
C     gmin=g(nn)
C     Xmin=f(2, nn)
C     Ymin=f(1, nn)
C   end if
C
C   call henbun(hen, f(1, nn), f(2, nn))
C     write(6,*) ' riron check '
C
C   do 210 i=1, nmb+1
C     do 220 j=i, nmb+1
C       gp(i, j)=gp(i, j)+hen(i)*hen(j)
1220   continue
C     dp(i)=dp(i)+(f(3, nn)-g(nn))*hen(i)
210   continue
C
C 100 continue
C
C   write(6,*) ' gmax: x, y, g ', xmax, ymax, gmax
C   write(6,*) ' gmin: x, y, g ', xmin, ymin, gmin
C
C   do 30 i=2, nmb+1
C     do 40 j=1, i-1
C       gp(i, j)=gp(j, i)
40   continue
30   continue
C
C   return
C   end
C
C *****
C subroutine keisan(nn)
C *****
C
C   implicit real * 8 (a-h, o-y)
C
C   common /comche/h(200), d(200), offset
C   common /comin3/a(200), b(200), Y0(200), c, e, X0
C   common /comin5/taiji(200)
C   common /comin6/nmb, iend
C   common /comar1/f(3, 1000)
C   common /comar3/g(1000)
C
C   x=f(2, nn)-X0
C
C   cc=cos(c)
C   sc=sin(c)
C   ce=cos(e)
C   se=sin(e)
C
C   g(nn)=0.0
C   do 100 i=1, nmb
C

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y=f(1, nn)-Y0(i)
p1=-x+a(i)
p2=-x-a(i)
q1=-y+b(i)
q2=-y-b(i)
c
hh=h(i)
iii=1
10 continue
c
r1=sqrt(p1*p1+q1*q1+hh*hh)
r2=sqrt(p2*p2+q2*q2+hh*hh)
r3=sqrt(p1*p1+q2*q2+hh*hh)
r4=sqrt(p2*p2+q1*q1+hh*hh)
c
if(r1.le.p1.or.r1.le.q1) then
  write(6,*) 'k', x, y, p1, q1
  read(5,*) ians
  ians=ians
end if
if(r3.le.p1.or.r3.le.q2) then
  write(6,*) 'k', x, y, p1, q2
  read(5,*) ians
  ians=ians
end if
if(r2.le.p2.or.r2.le.q2) then
  write(6,*) 'k', x, y, p2, q2
  read(5,*) ians
  ians=ians
end if
if(r4.le.p2.or.r4.le.q1) then
  write(6,*) 'k', x, y, p2, q1
  read(5,*) ians
  ians=ians
end if
if(hh.eq.0) then
  write(6,*) 'check hh', i
  read(5,*) ians
  ians=ians
end if
c
g1=cc*sc*se*(log((r1-p1)/(r1+p1))+log((r2-p2)/(r2+p2))
-      -log((r3-p1)/(r3+p1))-log((r4-p2)/(r4+p2)))
g2=cc*sc*ce*(log((r1-q1)/(r1+q1))+log((r2-q2)/(r2+q2))
-      -log((r3-q2)/(r3+q2))-log((r4-q1)/(r4+q1)))
g3=-2*cc*cc*se*ce*(log(r1+hh)+log(r2+hh)
-      -log(r3+hh)-log(r4+hh))
g4=-cc*cc*ce*ce*
-      (atan(p1*q1/(r1*hh+p1*p1+hh*hh))
-      +atan(p2*q2/(r2*hh+p2*p2+hh*hh))
-      -atan(p1*q2/(r3*hh+p1*p1+hh*hh))
-      -atan(p2*q1/(r4*hh+p2*p2+hh*hh))
g5=-cc*cc*se*se*
-      (atan(p1*q1/(r1*hh+q1*q1+hh*hh))
-      +atan(p2*q2/(r2*hh+q2*q2+hh*hh))
-      -atan(p1*q2/(r3*hh+q2*q2+hh*hh))
-      -atan(p2*q1/(r4*hh+q1*q1+hh*hh))
g6=sc*sc*(atan(p1*q1/hh/r1)+atan(p2*q2/hh/r2)
-      -atan(p1*q2/hh/r3)-atan(p2*q1/hh/r4))
c
c
g0=(g1+g2+g3+g4+g5+g6)
g00=g0*taiji(i)
c
if(iii.EQ.1) then
  g(nn)=g(nn)+g00
  iii=0
  hh=h(i)+d(i)

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        go to 10
    end if
    g(nn)=g(nn)-g00
C
100 continue
C
    write(6,*) 'check 101 keisan ',nn,g(nn),iii
C
    g(nn)=g(nn)+offset
C
    return
    end
C
*****
subroutine henbun(hen,YY,XX)
*****
C
    implicit real * 8 (a-h,o-y)
C
    common /comche/h(200),d(200),offset
    common /comin3/a(200),b(200),Y0(200),c,e,X0
    common /comin5/taiji(200)
    common /comin6/nmb,iend
C
    common /comar1/f(3,1000)
C
    dimension hen(401)
C
    x=XX-X0
    cc=cos(c)
    sc=sin(c)
    ce=cos(e)
    se=sin(e)
C
    gg=0.0
    do 100 i=1,nmb
C
        y=YY-Y0(i)
C
        p1=-x+a(i)
        p2=-x-a(i)
        q1=-y+b(i)
        q2=-y-b(i)
        h1=h(i)
        h2=h(i)+d(i)
        r11=sqrt(p1*p1+q1*q1+h1*h1)
        r12=sqrt(p1*p1+q1*q1+h2*h2)
        r21=sqrt(p2*p2+q2*q2+h1*h1)
        r22=sqrt(p2*p2+q2*q2+h2*h2)
        r31=sqrt(p1*p1+q2*q2+h1*h1)
        r32=sqrt(p1*p1+q2*q2+h2*h2)
        r41=sqrt(p2*p2+q1*q1+h1*h1)
        r42=sqrt(p2*p2+q1*q1+h2*h2)
C
        iii=1
        r1=r11
        r2=r21
        r3=r31
        r4=r41
        hh=h1
    10 continue
C
    if(r1.le.p1.or.r1.le.q1) then
        write(6,*) xx,yy,p1,q1
        read(5,*) ians
        ians=ians
    end if
    if(r3.le.p1.or.r3.le.q2) then
        write(6,*) xx,yy,p1,q2

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        read(5,*) ians
        ians=ians
    end if
    if(r2. le. p2 .or. r2. le. q2) then
        write(6,*) xx,yy,p2,q2
        read(5,*) ians
        ians=ians
    end if
    if(r4. le. p2 .or. r4. le. q1) then
        write(6,*) xx,yy,p2,q1
        read(5,*) ians
        ians=ians
    end if
    if(hh. eq. 0) then
        write(6,*) 'check hh ', i
        read(5,*) ians
        ians=ians
    end if
c
c
    g1=cc*sc*se*(log((r1-p1)/(r1+p1))+log((r2-p2)/(r2+p2))
-         -log((r3-p1)/(r3+p1))-log((r4-p2)/(r4+p2)))
    g2=cc*sc*ce*(log((r1-q1)/(r1+q1))+log((r2-q2)/(r2+q2))
-         -log((r3-q2)/(r3+q2))-log((r4-q1)/(r4+q1)))
    g3=-2*cc*cc*se*ce*(log(r1+hh)+log(r2+hh)
-         -log(r3+hh)-log(r4+hh))
    g4=-cc*cc*ce*ce*
-         (atan(p1*q1/(r1*hh+p1*p1+hh*hh))
-         +atan(p2*q2/(r2*hh+p2*p2+hh*hh))
-         -atan(p1*q2/(r3*hh+p1*p1+hh*hh))
-         -atan(p2*q1/(r4*hh+p2*p2+hh*hh))
    g5=-cc*cc*se*se*
-         (atan(p1*q1/(r1*hh+q1*q1+hh*hh))
-         +atan(p2*q2/(r2*hh+q2*q2+hh*hh))
-         -atan(p1*q2/(r3*hh+q2*q2+hh*hh))
-         -atan(p2*q1/(r4*hh+q1*q1+hh*hh))
    g6=sc*sc*(atan(p1*q1/hh/r1)+atan(p2*q2/hh/r2)
-         -atan(p1*q2/hh/r3)-atan(p2*q1/hh/r4))
c
    g0=g1+g2+g3+g4+g5+g6
c
    if(iii. eq. 1) then
        gg=gg+g0
        iii=0
        r1=r12
        r2=r22
        r3=r32
        r4=r42
        hh=h2
        go to 10
    end if
    gg=gg-g0
c
    hen(i)=gg
c
100 continue
c
    hen(nmb+1)=1.
c
    return
    end
c
c
c *****
c subroutine inv(icount)
c *****
c
    implicit real * 8 (a-h,o-y)
c

```

```

common /comar1/f(3,1000)
common /comar3/g(1000)
common /comar5/gp(401,401)
common /comar6/dp(401)
common /comin1/fmax,fmin,nd
common /comin3/a(200),b(200),Y0(200),c,e,X0
common /comin6/nmb,iend
common /comche/h(200),d(200),offset
common /comin5/taiji(200)
c
dimension gpp(401,401),qq(5),pmp(401),pmpp(5,401),
-      pm(5,402),wk(401),t0(200)
c
pp=0.0
do 10 i=1,nmb+1
  pp=pp+gp(i,i)
10 continue
pp=pp/float(nmb+1)
c
qq(1)=1.0d-2
qq(2)=1.0d-1
qq(3)=1.0d0
qq(4)=1.0d1
qq(5)=1.0d2
c
do 20 i=1,nmb
  t0(i)=taiji(i)
20 continue
c
offs=offset
c
do 100 i=1,5
c
  ramuda=pp*qq(i)
  do 150 ii=1,nmb+1
    do 160 jj=1,nmb+1
      if(ii.EQ.jj) then
        gpp(ii,jj)=gp(ii,jj)+ramuda
      else
        gpp(ii,jj)=gp(ii,jj)
      end if
160    continue
    pmp(ii)=dp(ii)
150  continue
c
  nmb2=nmb+1
  call dlf2m(gpp,nmb2,nmb2,pmp,0.0,1,wk,ier)
  write(6,*) ier = , ier
c
  do 180 jj=1,nmb+1
    pmpp(i,jj)=pmp(jj)
180  continue
c
  do 190 j=1,nmb
    pm(i,j)=pmp(j)+t0(j)
    go to 188
c-----
    if((pm(i,j)).le.0) then
      pm(i,j)=0.01
      d(j)=d(j)-0.2
    end if
    if(pm(i,j).le.0.1.and.d(j).le.0) then
      d(j)=0.1
      h(j)=h(j)+0.2
    end if
c-----
188  continue
c

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```

      taiji(j)=pm(i,j)
190  continue
c
  pm(i,nmb+1)=pmp(nmb+1)+offs
  offset=pm(i,nmb+1)
c
  gmax=-99999.
  gmin=99999.
c
  do 200 nn=1,nd
c
    call keisan(nn)
c
    if(g(nn).GT.gmax) then
      gmax=g(nn)
    else if(g(nn).LT.gmin) then
      gmin=g(nn)
    end if
200  continue
c
  pm(i,nmb+2)=0
c
  do 300 nn=1,nd
    pq=g(nn)-f(3,nn)
    pm(i,nmb+2)=pm(i,nmb+2)+pq*pq
300  continue
c
  pm(i,nmb+2)=sqrt(pm(i,nmb+2)/nd)
c
100 continue
c
  write(6,*)
c
  imin=1
  do 400 i=2,5
    if(pm(i,nmb+2).LT.pm(imin,nmb+2)) then
      imin=i
    end if
400 continue
c
  write(6,*)
  write(6,*) ' saitekichi!! ', icount
  write(6,*)
  write(6,*) (pmp(i,j), j=1, nmb)
  write(6,*)
  write(6,*) pmp(i,nmb+1)
  write(6,*)
  write(6,*) ' _____'
  write(6,*) (pm(i,j), j=1, nmb)
  write(6,*)
  write(6,*) pm(i,nmb+1)
  write(6,*) pm(i,nmb+2), qq(i)
  write(6,*)
c
  write(6,*) ' short stop at line 544 '
c
  if(icount.eq.iend) then
    open(3,file='I:\%result-inv.dat')
    write(3,*) icount,nmb
    do 990 k1=1,nmb
      write(3,*) y0(k1), a(k1), b(k1), pm(i,nmb+1), h(k1), d(k1)
990  continue
      write(3,*) pm(i,nmb+1)
      do 991 k2=1,nd
        write(3,*) f(1,k2), f(3,k2), g(k2)
991  continue
      close(3)
    end if
881  format(f12.2,2f8.1,3f12.2)

```



```

882  format(3f12.2)
c
c 888 format (5(3x, f12.2))
c 999 format (3x, f12.2)
c 777 format (2(3x, f12.2))
c
c   do 500 j=1, nmb
c       taiji(j)=pm(imin, j)
500 continue
c
c   offset=pm(imin, nmb+1)
c
c   return
c   end
c
c   subroutine dlf2m(a, n, na, b, eps, iopt, wk, ier)
c
c-----
c
c all rights reserved, copyright(c)1980, hitachi, ltd. s-1511-1
c licensed material of hitachi, ltd.
c
c name           - dlf2m : double precision
c
c usage          - call dlf2m(a, n, na, b, eps, iopt, wk, ier)
c
c function       - by the modified cholesky method, we solve the
c                 system of linear equations in n unknowns with
c                 real symmetric coefficient matrix.
c
c arguments      a(na, n) - input. matrix formed by left-side coefficients
c                        of the equation. only elements of the
c                        upper triangular matrix may be given.
c                        output. cholesky-factorized results are given.
c                        n
c                        - input. number of unknowns (0<n<na).
c                        na
c                        - input. number of rows of the matrix a in the
c                        dimension statement of a main program.
c                        b(n)
c                        - input. right-side vector.
c                        output. solutions of the equation.
c                        eps
c                        - input. criterion for the singularity
c                        (eps>=0.0).
c                        when eps<0.0 is given, standard value is
c                        assumed.
c                        iopt
c                        - input.
c                        iopt=1, modified cholesky decomposition and
c                        solution of the equation.
c                        iopt=2, modified cholesky decomposition
c                        only.
c                        iopt=3, solution of the equation only.
c                        wk(n)
c                        - work area.
c                        ier
c                        - error indicator.
c                        ier= 0, no error was detected.
c                        ier=1000, the coefficient matrix is not
c                        positive definite.
c                        ier=2000, n<1, n>na, iopt<1 or iopt>3.
c                        ier=3000, the matrix is nearly singular.
c
c status         - s-1511-1 05-02
c
c history        - date.    1979. 12
c                    1980. 11
c                    1982.  4
c                    1986.  6
c-----
c
c   implicit real*8(a-h, o-z)

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c      generic
c      dimension a(401,401), b(2500), wk(2500)
c      data one,sixtn /1.0d0, 16.0d0 /
c      data ueps /z3410000000000000/
c
c      check the input data.
c
c      if(iopt.lt.1 .or. iopt.gt.3) go to 10
c      if(n.ge.1 .and. n.le.na) go to 20
10 continue
c      go to 9999
20 if(iopt.eq.3) go to 550
c      nm1 = n-1
c      ier = 0
c      seps=eps
c      if( eps ) 40, 50, 50
40 continue
c 40 seps = n*sixtn*ueps
50 if(a(1,1)) 60, 60, 70
60 j=1
c      continue
c      initialization.
70 continue
c      wk(1) = one/a(1,1)
c      if( nm1 ) 170, 170, 90
c
c      modified cholesky decomposition of the real symmetric matrix
c      (a) into a product of a lower trianguar matrix (l) that has
c      1 as the diagonal elements, a diagonal matrix (d) and (l)'s
c      transposed matrix (l(t)).
c
90 do 500 j=2, n
c      jsub1=j-1
c      if( j-2 ) 130, 130, 100
100 do 120 i=2, jsub1
c      s=0.0
c      isub1=i-1
c      do 110 k=1, isub1
c      s=s+a(k,i)*a(k,j)
c      sum of l(i,k)*(k,j) element of d*l(t) .
110 continue
c      a(i,j)=a(i,j)-s
c      = (i,j) element of d*l(t).
120 continue
130 s=0.0
c      do 140 i=1, jsub1
c      t=a(i,j)
c      a(i,j)=wk(i)*t
c      = (i,j) element of l(t).
c      s=s+a(i,j)*t
140 continue
c      t=a(j,j)-s
c      if( abs(t)-abs(a(j,j))*seps ) 150, 150, 160
150 continue
c      go to 9999
160 wk(j)= one/t
c      if(t) 165,165,500
165 continue
c      = 1/d(j,j)
500 a(j,j)=t
c      = d(j,j)
c
c      modified cholesky decomposition is completed.
c      now , d(i,i), 1/d(i,i), (i,j) of l(t) are stored
c      in a(i,i), wk(i), a(i,j) over ( i=1,2,...,n ;
c      j=i,i+1,...,n ) , respectively.
c
c      if(iopt.eq.2) go to 9999

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```
550 continue
   if(ier.ge.3000) go to 9999
c
c      forward substitution.
c
   if( nm1 ) 170, 170, 180
170 if(iopt.eq.2) go to 9999
   b(1) = b(1)*wk(1)
   go to 9999
180 do 200 i=2, n
   s=0.0
   isub1=i-1
   do 190 k=1, isub1
   s=s+a(k, i)*b(k)
c
c      sum of l(k, i)*b(k).
190 continue
   b(i)=b(i)-s
200 continue
   do 210 i=1, n
   b(i)=b(i)*wk(i)
210 continue
c
c      backward substitution.
c
   np2=n+2
   do 240 k=2, n
   j=np2-k
   t=b(j)
   if(t) 220, 240, 220
220 jsub1=j-1
   do 230 i=1, jsub1
   b(i)=b(i)-a(i, j)*t
230 continue
240 continue
c
9999 continue
   continue
   return
   end
```